Sr. No.	Subject	Code	Scheme L-T-P	Credits (Min.)	Notional hours of Learning (Approx.)
	Third Semester (2 nd year of M.Sc.)				
1	Element of Analysis	MA201	3-1-0	4	70
2	Analytical Geometry	MA203	3-1-0	4	70
3	Discrete Mathematical Structure	MA205	3-1-0	4	70
4	Data Structure	MA231	3-0-2	4	85
5	English and Professional Communication - II	HS201	3-1-0	4	70
			Total	20	365
6	Mathematical Software-I	MAV03 /	0-0-10	5	200
	Vocational Training / Professional Experience (Optional) (mandatory for exit)	MAP03			(20 x 10)
	Fourth Semester (2 nd year of M.Sc.)				
1	Numerical Analysis	MA202	3-1-0	4	70
2	Linear Algebra	MA204	3-1-0	4	70
3	Elementary Number theory	MA232	3-1-0	4	70
4	Computational Life Science	MA233	3-1-0	4	70
5	Computer Networks	CS208	3-0-2	4	85
			Total	20	365
6	Mathematical Software-II	MAV04 /	0-0-10	5	200
	Vocational Training / Professional Experience (Optional) (mandatory for exit)	MAP04			(20 x 10)

M.Sc. 2 rd Year (Mathematics) Semester – III Elements of Analysis	Scheme	L	т	Ρ	Credit
MA 201		3	1	0	04

1.	Course Outcomes (COs): At the end of the course, the students will be able to
CO1	Discuss the convergence and divergence of sequences and series
CO2	Predict the existence of Riemann integral with their properties
CO3	Demonstrate the convergence of improper integral
CO4	Examine the uniform convergence using different tests
CO5	Develop the Fourier series in different intervals

2.	<u>Syllabus</u>		
	REAL SEQUENCES AND INFINITE SERIES	(14 Hours)	
	Sequences, Limit points of a sequence, Limits inferior and superior, Converger	nt sequences,	
	Non Convergent sequences, Cauchy's general principle of convergence, Algebra		
	sequences, Some important theorems, Monotonic sequences. Positive terms		
	Comparison test, Cauchy's root test, D'Alembert ratio test, Series with arbitra	ry terms.	
	THE RIEMANN INTEGRAL	(06 Hours)	
	Definitions and existence of the integral, Refinement of partitions, Darboux's theorem, Conditions of integrability, Integrability of the sum and difference of Integrable function The integral as a limit of sums, Some integrable functions, Integration and differentiation The fundamental theorem of calculus, Mean value theorem, Integration by parts, Chan of variable in an integral, Second mean value theorem.		
	VECTOR OPERATORS	(05 Hours)	
	Green's, Gauss' & Stokes' theorem with proof.		
	IMPROPER INTEGRAL	(06 HOURS)	
	Introduction, Integration of unbounded functions with finite limit of integration, Comparison tests for convergence of $\int_{a}^{b} f(x)dx$, Infinite range of integration, Integrand as a product of functions.		
	UNIFORM CONVERGENCE	(08 HOURS)	
	Pointwise convergence, Uniform convergence on an interval, Tests for uniform convergence, Properties of uniformly convergent sequences and series, The Weierstrass		

approximation theorem.		
FOURIER SERIES		(06 Hours)
Trigonometric series, Some preliminary t [–π, π].	heorems, The main theorem, Inter	rvals other thar

3.	Tutorials
1	Tutorial on convergent and monotonic sequences.
2	Tutorial on Riemann integral, Green's, Stokes' and Gauss' theorem.
3	Tutorial on integration of unbounded functions and comparison tests of convergence.
4	Tutorial on pointwise convergence, uniform convergence and Weierstrass approximation theorem.
5	Tutorial on trigonometric series.

4.	Books Recommended:
1	W. Rudin, Principles of Mathematical Analysis, 3rd Edition, McGraw Hill, New York, 1976.
2	R. R. Goldberg, Methods of Real Analysis, Oxford and IBH Publishing, 1970.
3	T. Apostol, Mathematical Analysis, 2nd Edition, Narosa Publishers, 2002.
4	H. L. Royden, Real Analysis, 4th Edition, Macmilan Publishing Co. Inc., New York, 1993.
5	S. Narayan and M. D. Raisinghania, Elements of Real Analysis, 7th Edition, S. Chand Publication, New Delhi, 1980.

M.Sc. 2 rd Year (Mathematics) Semester – III Analytical Geometry	Scheme	L	т	Ρ	Credit
MA 203		3	1	0	04

1.	Course Outcomes (COs):
	At the end of the course, the students will be able to
CO1	demonstrate the fundamentals of analytical geometry in Cartesian and polar coordinates
CO2	discuss the equation of straight line in different forms and related properties
CO3	solve the problems related to plane and sphere

CO4	evaluate the equation of cone and cylinder and their tangent plane
CO5	elaborate the equations and other properties related to plan section and conicoids

2.	<u>Syllabus</u>		
	ORIENTATION OF COORDINATE GEOMETRY	(08 Hours)	
	Distance between two points, Coordinates of a point which divides the line given points in a given ratio, Equation of surfaces, Cylindrical coordinates, coordinates, Angle between two lines, Direction cosines of a line, Direction line, Projections, Projection of a line segment.		
	STRAIGHT LINE	(09 Hours)	
	General equation of straight line, Equations of a line in symmetrical form, general equation of a line into symmetrical form, Angles between two line between line and plane, Line intersecting two given lines, Locus of a line, I point from a line, Shortest distance between two lines, Equations of two s simplified form, Intersection of three planes.		
	PLANE AND SPHERE	(09 Hours)	
	General equation of a plane, Normal form of the equation of a plane, Projection of a segment, Angles between two planes, Equation of a plane in various forms, Length of perpendicular from a point to a plane, General equation of a plane passing through the line of intersection of two planes, General equation of sphere, Equation of sphere passin through four points, Sphere on the join of two points as diameter, Intersection of two sphere, Intersection of sphere and plane, Intersection of sphere and line, Angle of intersection of two sphere, Orthogonal sphere, Radical sphere.		
	THE CYLINDER AND CONE	(10 HOURS)	
	Equation of a cylinder, Right circular cylinder and its equation, Interpretati equations, Equation of tangent plane to a given cylinder, Cone and its equ with vertex at origin, Right circular cone, Condition for general equation of to represent a cone, Tangent plane to a cone and condition of tangency, R Cone with three mutually perpendicular generators, Number of mutually p generators, Intersection of a plane through the vertex and a cone.		
	PLANE SECTION AND CONICOIDS	(09 HOURS)	
	Some standard equation of central conicoids, Diametral planes and princi Tangent lines and tangent plane at a point, Condition of tangency of a pla a given centre, Locus of the mid-points of a system of parallel chords, Pola lines, Enveloping cone, Classification of central conicoids, Normal to an ell Conjugate diametral plane and diameters of ellipsoid, Paraboloids: Equati Classification and Properties, Conicoids: General equation and examples.	ne, Section with ar plane, Polar lipsoid,	

Tutorials will be based on the coverage of the above topics separately.	(15 Hours)
(Total Contact Time: 45 Hours + 15 Ho	urs= 60 Hours)

3.	Tutorials
1	Tutorial 1 will be based on distance, equation of surfaces, direction cosines, direction ratios and projection.
2	Tutorial 2 will be based on equation of straight line, angles between two lines and intersection of three planes.
3	Tutorial 3 will be based on equation of planes, equation of sphere and their intersection.
4	Tutorial 4 will be based on equation of cylinder, equation of cone and mutually perpendicular generators.
5	Tutorial 5 will be based on equation of cylinder, equation of cone and mutually perpendicular generators.

4.	Books Recommended:
1.	R. Ballabh, A Textbook of Coordinate Geometry, 3 rd Edition, Prakashan Kendra, Lucknow, 1965.
2.	S. Narayan and P. K. Mittal, Analytical Solid Geometry, 17 th Revised Edition, S.Chand & Company, New Delhi, 2007.
3.	R. J. T. Bell, An Elementary Treatise on Coordinate Geometry of Three Dimensions, MacMillon & Co. Ltd., 1960.
4.	C. Smith, An Elementary Treatise on Solid Geometry, MacMillon & Co. Ltd., 1931.
5.	P. K. Jain and K. Ahmad, A Text Book of Analytical Geometry of Three Dimensions, New Age International Publishers, New Delhi, 2005.

M.Sc. 2 rd Year (Mathematics) Semester – III DISCRETE MATHEMATICAL STRUCTURE	Scheme	L	т	Ρ	Credit
MA 205		3	1	0	04

1.	Course Outcomes (COs):
	At the end of the course, the students will be able to
CO1	apply knowledge of Mathematical Logic in programming
CO2	analyze the problems for developing the solution, its correctness and performance using
	graphs
CO3	analyze the real world problems using group theory, relations, lattices and Boolean algebra
CO4	develop an algorithm using Asymptotic analysis
CO5	design solutions for various types of problems in different disciplines like information
	security, optimization, mathematical analysis

2.	Sullabus			
	<u>Syllabus</u>			
	MATHEMATICAL LOGIC AND PROGRAM VERIFICATION	(10 Hours)		
	Propositions, logical operators and propositional algebra, Predicates and quantif	iers,		
	Interaction of quantifiers with logical operators, Logical interference & proof techniques,			
	Formal verification of computer programs (elements of Hoare logic).			
	GRAPH THEORY	(10 Hours)		
	Graphs, Definition and basic concepts of finite and infinite graph, Incidence and Isomorphism, Subgraph, Walk, Path & Circuits, Operations on graphs, Connected Disconnected graph and Components, Complete graph, Regular graph, Bipartite Euler's graph, Hamiltonian paths and Circuits, Weighted graphs, Applications, Di Undirected graphs, Connectivity of graphs.	ted Graph, ite graph,		
	TREES	(06 Hours)		
	Definition & properties of trees, Pendent vertices in a tree, Distance between tw	o vertices,		

Centre, Radius and diameter of a tree, Rooted and binary trees, Represen- structure by Binary trees, Binary search trees, Spanning trees and fundam	•
LATTICES	(06 Hou
Definition and properties of lattice, Sublattice, Distributive and modular la Complemented and bounded lattices, Complete lattices.	attices,
BOOLEAN ALGEBRA	(06 Hou
Introduction, Definition, Properties of Boolean algebra, Boolean variables, expression, Boolean function, Min term, Max term, Canonical forms, Swite from Boolean expression, Karnaugh map method.	
ASYMPTOTIC ANALYSIS	(07 Hour
Complexity analysis, Time and storage analysis, Big-oh, Big-Omega, Big-Th Illustration and application to real problems.	neta notation,
Tutorials will be based on the coverage of the above topics separately.	(15 Hour

3.	Tutorials
1	Tutorial on Mathematical Logic and Verification
2	Tutorial on Graph Theory
3	Tutorial on Trees
4	Tutorial on Lattices
5	Tutorial on Boolean Algebra
6	Tutorial on Asymptotic Analysis

4.	Books Recommended:
1.	K. H. Rosen, Discrete Mathematics and its Applications, 6 th Edition, McGraw-Hill, 2006.
2.	B. Kolman, R. C. Busby, and S. Ross, Discrete Mathematical Structure, 5 th Edition, Prentice Hall Inc., 2003.
3.	J. P. Tremblay and R. Manohar, Discrete Mathematical Structure with Applications to Computer Science, McGraw Hill Book Co., 1999.
4.	N. Deo, Graph Theory with Applications to Engineering & Computer Science, Prentice Hall of India Pvt. Ltd., 2000.
5.	D. F. Stanat and D. F. McAllister, Discrete Mathematics in Computer Science, Prentice-Hall, Englewood Cliffs, New Jersey, 1977.

M.Sc. 2 rd Year (Mathematics) Semester – III DATA STRUCTURE	Scheme	L	т	Ρ	Credit
MA 231		3	0	2	04

1.	Course Outcomes (COs): At the end of the course, the students will be able to
CO1	recognize the need of different data structures and understand its characteristics
CO2	apply different data structures for given problems
CO3	design and analyse different data structures, sorting and searching techniques
CO4	evaluate data structure operations theoretically and experimentally
CO5	solve the complex engineering problems

2.	<u>Syllabus</u>	
	INTRODUCTION TO DATA STRUCTURES	(03 Hours)
	Review of Concepts: Information and meaning, Abstract data types, In primitive data structures, Arrays, Strings, Structures, Pointers.	iternal representation of
	LINEAR LISTS	(06 Hours)
	Sequential and linked representations of linear lists, Comparison of insearch operations for sequential and linked lists, Doubly linked lists, C Standard Template Library (STL), Applications of lists.	•
	STACKS	(06 Hours)
	Sequential and linked implementations, Representative applications s Expression evaluation viz., Infix, Prefix and Postfix, Parenthesis matchi Wire routing in a circuit, Finding path in a maze.	
	QUEUES	(06 Hours)
	Operations of queues, Circular Queue, Priority Queue, Dequeue, Appl Simulation of time-sharing operating systems, Continuous network me	• •
	SORTING AND SEARCHING	(05 Hours)
	Sorting methods, Bubble sort, Selection sort, Quick sort, Radix sort, Bubble sort, Selection sort, Quick sort, Radix sort, Bubble Hashing, Analysis of collision resolution techniques, Searching method search, Character strings and different string operations.	
	TREES	(08 Hours)
	Binary trees and their properties, Terminology, Sequential and linked traversal methods and algorithms, Complete Binary trees, General tre	implementations, Tree

priority queues, Heap implementation, Insertion and deletion operat Huffman coding, Tournament trees, Bin packing.	ions, Heapsort, Heaps i
MULTIWAY TRESS	(04 Hours)
Issues in large dictionaries, M-way search trees, B-trees, Search, inser Height of B-tree, 2-3 trees, Sets and multisets in STL.	t and delete operation
GRAPHS	(07 Hours)
Definition, Terminology, Directed and undirected graphs, Properties, Applications, Adjacency matrix and linked adjacency chains, Graph tra- depth first traversal, Spanning trees, Shortest path and transitive Clos Topological Sort and critical paths.	aversal, Breadth first ar

3.	Practical's
1	Implementation of Array and its applications
2	Implementation of Stack and its applications
3	Implementation of Queue and its applications
4	Implementation of Link List and its applications
5	Implementation of Trees and its applications
6	Implementation of Graph and its applications
7	Implementation of Hashing functions and collision resolution techniques
8	Mini Project (Implementation using above Data Structure)

s with Applications, 2 nd
s with Applications, 2 nd
using C and C++, 2 nd
Edition, Silicon Press,
nms, 3 rd Edition, MIT
esign in C, 2 nd Edition,
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M.Sc. 2 rd Year (Mathematics) Semester – III ENGLISH AND PROFESSIONAL COMMUNICATION-II	Scheme	L	Т	Ρ	Credit
HS201		3	1	0	04

1.	Course Outcomes (COs): At the end of the course, the students will be able to
C01	express themselves using appropriate vocabulary and grammar
CO2	draft scientific reports and formal proposals
CO3	comprehend scientific and general content more skilfully and meaningfully
CO4	predict human transactions and behavioural modes
CO5	communicate effectively through various means and at varied levels

<u>yllabus</u>	
	/llabus

FUNCTIONAL ENGLISH GRAMMAR	(08 Hours
Language functions, Modals, Tenses, Active and Passive Voice, Conc	ditional sentences,
Concord errors.	
TECHNICAL WRITING	(08 Hours
Formal and informal report- Information and recommendation repo	orts, Progress and
Periodic report, Feasibility and trip report, Proposal writing- types, I	logistics of proposals, the
deliverables of proposals persuasion and proposal, the structure of	the proposal.
LISTENING AND READING COMPREHENSION	(10 Hours
Listening and note taking, Paraphrasing, Reading using SQ3R, Predic	cting, Understanding Gist
reading and listening general and scientific texts and developing voo	cabulary.
	(00.11)
LANGUAGE THROUGH LITERATURE	(09 Hours
Short Stories:	
 The Remarkable Rocket by Oscar Wild. An Astrologer's Day by R. K. Narayan. 	
3. The Case of the Lower-Case Letter by Jack Delany.	
5. The Case of the Lower-Case Letter by Jack Delany.	
GROUP COMMUNICATION & ACADEMIC WRITING	(10 Hour
GROUP COMMUNICATION & ACADEMIC WRITING	
GROUP COMMUNICATION & ACADEMIC WRITING Transactional analysis; SOP; LOR; Research paper, Dissertation, The	sis; Types of group

3.	Tutorials
1	Language functions, Modals, Tenses, Active and Passive Voice
2	Conditional sentences, Concord errors.
3	Formal and informal report- Information and recommendation reports, Progress and Periodic report, Feasibility and trip report.
4	Feasibility and trip report, Proposal writing- types, logistics of proposals, the deliverables of proposals persuasion and proposal, the structure of the proposal.
5	Listening and note taking, Paraphrasing, Reading using SQ3R.
6	Predicting, Understanding Gist reading and listening general and scientific texts and developing vocabulary.
7	The Remarkable Rocket by Oscar Wild, An Astrologer's Day by R. K. Narayan, The Case of the Lower-Case Letter by Jack Delany.

8	SOP; LOR; Research paper, Dissertation, Thesis; Types of group communication- Seminar,
	Conferences, Convention, Symposium, Panel discussion etc.

4.	Books Recommended:
1	M. Markel, Practical Strategies for Technical Communication, 2nd Edition, Bedford/St. Martin's, 2016.
2	R. V. Lesikar and M. E. Flatley, Basic Business Communication Skills for Empowering the Internet Generation, Tata McGraw Hill Publishing Company Limited, New Delhi, 2005.
3	L. J. Gurak and J. M. Lannon, Strategies for Technical Communication in The Workplace, Pearson, 2013.
4	C. L. Bovee, J. V. Thill and M. Chaturvedi, Business Communication Today, 9th Edition, Pearson, 2009.
5	W. S. Pfeiffer and T. V. S. Padmaja, Technical Communication: A Practical Approach, 6th Edition, Pearson, 2013.

M.Sc. 2 rd Year (Mathematics) Semester – IV NUMERICAL ANALYSIS	Scheme	L	т	Ρ	Credit
MA202		3	1	0	04

1.	Course Outcomes (COs): At the end of the course, the students will be able to	
CO1	design an algorithm to solve a mathematical problem numerically	
CO2	analyze an algorithm's accuracy, efficiency and convergence properties	
CO3	develop a computer code for the designed algorithm	
CO4	analyze classical techniques and recognize common pitfalls in numerical analysis	
CO5	solve initial value problems using computational methods	

2.	Syllabus	
	PRELIMINARIES OF COMPUTING	(03 Hours)
	Errors, Types of errors, Propagation of Error, Floating point arith Taylor's series.	metic, Approximation using
	SOLUTION OF NONLINEAR EQUATIONS	(08 Hours)

Fixed	tion Method, Methods of false position, Newton's method, point iterative method, Newton's and fixed point iterative r near equations. Roots of polynomials, Error and convergenc	nethod for system of
	ITION OF SYSTEM OF LINEAR EQUATIONS	(08 Hours)
deco Seide	t Methods: Gauss elimination with pivoting, LU decompositi mposition method, Error analysis for direct methods, Iterativ el method, SOR method, Vector and matrix norm, Convergen avalue problems: Jacobi's and Power method.	e methods: Jacobi, Gauss
INTE	RPOLATION	(12 Hours)
opera uniqu	e difference operators, Divided difference operators, Relatio ators, Application of difference operators, Polynomial Interp ueness of interpolating polynomials, Lagrange and Newton's ard and backward difference formula, Error in interpolation.	olation, Existence and
DIFFI	RENTIATION AND INTEGRATION	(07 Hours)
appro Cotes	erical differentiation: Methods based on interpolation and fi oximation, Order of approximation, Numerical Integration: C s Methods, Trapezoidal and Simpson's rules with error analy ods with error analysis.	uadrature formula, Newton
INITI	AL VALUE PROBLEMS (ODE)	(07 Hours)
	d's method, Taylor's series method, Euler and Runge-Kutta r ems of order one and higher and system of first order ODEs	
	based on the coverage of the above topics separately.	(15 Hours)

3.	Tutorials
1	Tutorial on nonlinear equations.
2	Tutorial on system of nonlinear equations.
3	Tutorial on system of linear equations using direct methods.
4	Tutorial on system of linear equations using indirect methods.
5	Tutorial on the eigenvalue of a matrix.
6	Tutorial on interpolating arbitrary spaced and equally spaced data.
7	Tutorial on approximate the derivative numerically.
8	Tutorial on integrate a function numerically.
9	To solve the initial value problems of order one and more and system of first order ODEs.

4.	Books Recommended:
1	K. E. Atkinson, An Introduction to Numerical Analysis, 2 nd Edition, John Wiley & Sons, 2008.
2	R. L. Burden and J. D. Faires, Numerical Analysis, 9 th Edition, Cengage Learning, 2011.
3	S. D. Konte and C. de-Boor, Elementary Numerical Analysis: An Algorithmic Approach, 3 rd Edition, McGraw-Hill, 1981.
4	M. K. Jain, S. R. K. Iyengar and R. K. Jain, Numerical Methods: For Scientific and Engineering Computation, 6 th Edition, New Age International Publishers, 2014.
5	J. H. Mathews and K. D. Fink, Numerical Methods using MATLAB, 4 th Edition, Pearson India Education Services Pvt. Ltd., 2015.

M.Sc. 2 rd Year (Mathematics) Semester – IV Linear Algebra	Scheme	L	т	Ρ	Credit
MA204		3	1	0	04

1.	Course Outcomes (COs):
CO1	evaluate the solution of system of linear equation through elimination and decomposition procedure
CO2	determine the basis and dimension of vector spaces and subspaces
CO3	discuss the matrix representation of a linear transformation given bases of the relevant vector spaces
CO4	adapt the knowledge of eigenvalues and eigenvectors for matrix diagonalization
CO5	interpret the applications of linear algebra and special matrices

2.				
	<u>Syllabus</u>			
	Matrices	(05 Hours)		
	Properties of matrices, Non-singular Matrices, Reduced Row-Echelon form, Co	onsistency		
	and Solution of system of linear equations.			
	Vector Spaces	(08 Hours)		
	Fields, Vector spaces over a field, Subspaces, Linear Independence and Depen	ependence and Dependence,		
	Coordinates, Bases and Dimension.			
	LINEAR TRANSFORMATIONS	(08 Hours)		
	Rank Nullity Theorem, Duality and transpose, Isomorphism, Matrix representation of			
	transformation, Change of basis, Similar matrices, Linear functional and Dual Space.			

INNER PRODUCT SPACES	(08 Hours)
Cauchy-Schwarz's inequality, Gram-Schmidt orthonormalization, Orthonorma Orthogonal projection, Projection theorem, Fundamental subspaces and their	-
DIAGONALIZATION	(08 Hours
Eigenvalues and eigenvectors, Characteristic polynomials, Minimal polynomia	ls, Cayley-
Hamilton theorem, Diagonalizability, Invariant subspaces, Adjoint of an opera	
Unitary and Self-Adjoint operators, Schur's lemma, Diagonalization of normal	matrices,
Triangularization, Rational canonical form, Jordon canonical form.	1
SOME APPLICATIONS	(08 HOURS)
Some Art Lications	
Lagrange interpolation, QR and SVD decompositions, Least square solutions, L	
	east square

3.	Tutorials
1	Tutorial on matrices and system of equations.
2	Tutorial on fields, subspaces, basis and dimension.
3	Tutorial on linear transformations, gram Schmidt orthonormalization and projection theorem.
4	Tutorial on eigen values, eigen vectors, characteristic polynomials and canonical form.
5	Tutorial on Lagrange interpolation, QR and SVD decomposition, pseudo inverses and special matrices.

4.	Books Recommended:
1	K. Hoffman and R. Kunze, Linear Algebra, PHI Publication, 2015.
2	G. Strang, Linear Algebra and its Applications, 4 th edition, Cengage Learning, 2007.
3	S. Lang, Linear Algebra: Undergraduate Texts in Mathematics, Springer-Verlag, New York, 1989.
4	G. William, Linear Algebra with Applications, 6 th Revised Edition, Jones and Bartlett Publishers Inc., 2007.
5	G. William, Linear Algebra with Applications, 6 th Revised Edition, Jones and Bartlett Publishers Inc., 2007.

M.Sc. 2 rd Year (Mathematics) Semester – IV ELEMENTARY NUMBER THEORY	Scheme	L	Т	Ρ	Credit
MA232		3	1	0	04

1.	Course Outcomes (COs): At the end of the course, the students will be able to
CO1	explain congruence relations and number theoretic functions
CO2	demonstrate Fermat's theorem and its applications
CO3	solve Diophantine equations
CO4	elaborate primitive roots and quadratic reciprocity
CO5	adapt the knowledge of various techniques in cryptography

2.				
	<u>Syllabus</u>			
	INTRODUCTION	(07 Hours)		
	Divisibility, Greatest Common Divisor (gcd), Euclidean Algorithm, Primes and their			
	elementary properties, Fundamental theorem of Arithmetic.			
	CONGRUENCE RELATION	(08 Hours)		
	Congruence and their Basic properties, Chinese Remainder Theorem, Euler's phi- Fermat's Little Theorem, Wilson's Theorem, Euler's theorem.			
	NUMBER THEORETIC FUNCTIONS	(12 Hours)		
	Greatest integer function, Arithmetic functions, Mobius inversion formula, Fibo numbers, Representation of an integer as sum of two and four squares, Diophan Equations: $ax + by = c$, $x^2 + y^2 = z^2$ and $x^4 + y^4 = z^4$.	on of an integer as sum of two and four squares, Diophantine		
	PRIMITIVE ROOTS, INDICES AND RESIDUES	(12 Hours)		
	Order of an integer modulo n, Primitive roots for primes, Theory of indices, Resi and Residued residue classes, Quadratic residues, Legendre symbol, Gauss's Ler Legendre symbol, Law of quadratic reciprocity, Jacobi symbol.			
	INTRODUCTION TO CRYPTOGRAPHY	(06Hours)		
Basic definitions of plaintext, ciphertext, cipher, enciphering (encrypting), deciphering (decrypting), The Caesar cipher, Monoalphabetic and Poly alphabetic ciphers, Nonalp				

ciphers, Exponential cryptosystem, Applications of Euler's theorem in cryptography, Introduction to public-key cryptography and RSA cryptosystems.	
	(15 Hours)

3.	Tutorials
1	Tutorial on divisibility, gcd, Euclidean Algorithm.
2	Tutorial on primes and their elementary properties, fundamental theorem of Arithmetic
3	Tutorial on congruence relation
4	Tutorial on number theoretic functions.
5	Tutorial on diophantine equations.
6	Tutorial On Primitive roots, indices and residues.
7	Tutorial on The Caesar cipher, Monoalphabetic and Poly alphabetic ciphers, Nonalphabetic ciphers, Exponential cryptosystem.
8	Tutorial on exponential cryptosystem, applications of Euler's theorem in cryptography.
9	Tutorial on public-key cryptography and RSA cryptosystems.

4.	Books Recommended:
1	K. E. Atkinson, An Introduction to Numerical Analysis, 2 nd Edition, John Wiley & Sons, 2008.
2	R. L. Burden and J. D. Faires, Numerical Analysis, 9 th Edition, Cengage Learning, 2011.
3	S. D. Konte and C. de-Boor, Elementary Numerical Analysis: An Algorithmic Approach, 3 rd
	Edition, McGraw-Hill, 1981.
4	M. K. Jain, S. R. K. Iyengar and R. K. Jain, Numerical Methods: For Scientific and Engineering
	Computation, 6 th Edition, New Age International Publishers, 2014.
5	J. H. Mathews and K. D. Fink, Numerical Methods using MATLAB, 4 th Edition, Pearson India
	Education Services Pvt. Ltd., 2015.

M.Sc. 2rd Year (Mathematics) Semester – IV	Scheme	L	Т	Ρ	Credit
Computational Life Science					
MA233		ß	1	0	04

	1.	Course Outcomes (COs):
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	At the end of the course, the students will be able to
CO1	exhibit enhanced knowledge of evolution theory
CO2	assess biological inferences that depend on population genetics
CO3	demonstrate knowledge of biological systems, microbial population and epidemics
CO4	utilize the concepts of Mathematical modeling like evolutionary games theory, statistics, numerical methods etc. in Biology
CO5	apply biological mechanisms of evolution, epidemics, genetics etc in invasion analysis and technology

2	Syllabus	
	THEORY OF EVOLUTION	(08 Hours)
	Evolution of life: Origin of Life, Structure and types of cell, Cell organelles, Biomo of cell, Molecular Sequences: Nucleotide and protein, Sequence comparisons: D programming, Phylogenetic Analysis	
	POPULATION GENETICS	(07 Hours)
	Mendelian genetics, Inheritance models, probability distributions in genetics, Linkage,Selection and Mutation	
	DIFFUSION IN BIOLOGICAL SYSTEMS	(07 Hours)
	Diffusion in biology: Constructing diffusion models, Biomass Reaction diffusion models, Bioheat Transfer models	
	MICROBIAL POPULATION MODELS	(08 Hours)
	Introduction to Microbiology, Microbial taxonomy: Microbial kinetics, Microbial growth in a Chemostat , Growth of microbial populations, stability, competition, Commensalism, Mutualism, Predation and mutation	
	EPIDEMIC MODELS	(08 Hours)
	Deterministic epidemic models, epidemic control, Stochastic epidemic models, Epidemic Networks: Spread of disease in contact networks	
	EVOLUTIONARY INVASION ANALYSIS	(07 Hours)
	Evolutionary Invasion Analysis: Introduction to Game Theory, Evolutionary games theory, Concept of evolutionary stability, Adaptive dynamics, invasion analysis.	

	Tutorials will be based on the coverage of the above topics separately			
	(Total Contact Time: 45 Hours + 15 Hours= 60 Hour			
3.	Tutorials			
1	Sequence Analysis, dynamic programming and Phylogenetic analysis			
2	Probability distributions in genetics, models of Inheritance			

3	Reaction Diffusion models in biology, Bioheat transfer models
4	Growth of microbial populations, stability, equilibrium, competetion
5	Epidemic models under various conditions, Spread of disease in contact networks,
6	Games theory, evolutionary games theory ,stability ,equilibrium, Invasion analysis

4.	Books Recommended:
1	A. R. Leach, Molecular Modelling: Principles and Applications, Addison-Wesley Pub.
	Co., 1997.
2	Elizabeth S. Allman and John A. Rhodes, Mathematical Models in Biology-An Introduction,
	Cambridge University Press, 2004
3	N. Hopkins, J. W. Roberts, J. A. Steitz, J. Watson and A. M. Weiner, Molecular Biology
	of the Gene, 7th Edition, Benjamin Cummings, 1987.
4	J.N. Kapur, Mathematical Models in Biology and Medicine, Affiliated East West Press Pvt. Ltd,
	1985.
5	C. C. Chatterjee, Human Physiology, 13th revised Edition, Vol 1 & 2, CBS Publisher,
	2020.

5.	Additional Reference Book:
1	B. K. Hall, Evolution, Principles and Processes, Jones & Bartlett, 2011.
2	O. A. Hougen, K. M. Watson and R. A. Ragatz, Chemical Process Principles Part-I: Material and Energy Balances, CBS Publishers New Delhi, 2nd Edition, 2004.
3	D. Baxevanis, and B. F. F. Ouellette, Bioinformatics – A Practical Guide to the Analysis of Genes and Proteins, 2nd Edition, John Wiley and Sons Inc., 2001.
4	B. Bernd, K. Juergen, S. Lewi, Complex Population Dynamics: Nonlinear Modeling in Ecology, Epidemiology And Genetics, World Scientific Publishing Co. Pvt. Ltd., 2007.

M.Sc. 2 rd Year (Mathematics) Semester – IV Computer Network	Scheme	L	т	Р	Credit
CS208		3	0	2	04

1.	Course Outcomes (COs):
CO1	understand computer network models and services offered at different layers of network protocol stack.
CO2	apply knowledge of data communication, data transmission techniques using various transmission media to deliver error free data and communicate with multiple nodes.
CO3	analyse various routing methods to identify effective routing protocols.
CO4	evaluate network performance by means of transport and flow control protocols, Congestion Control protocols and Quality of services.

CO5	create a computer network application using modern network tools and simulation
	software.

<u>Syllabus</u>	
Introduction	(07 Hour
Overview of computer networks and data communication, Computer networks and standards, Types of computer networks, Network topology, Protocol design issues, Interfaces and services, Networking devices, OSI and TCP/IF models.	hierarchies and
PHYSICAL LAYER	(07 Hour
Physical layer design issues, Data transmission techniques, Multiplexing, T media, Asynchronous communication, Wireless transmission, ISDN, ATM, Switching techniques and issues.	
MEDIUM ACCESS CONTROL LAYER	(08 Hours)
MAC layer design issues, Channel allocation methods, Multiple access pro CSMA, CSMA/CD protocols, Collision free protocols, Limited contention P Architectures, IEEE -802 standards, Ethernet(CSMA/CD), Token bus, Token FDDI, Bridges and recent developments.	rotocols, LAN
NETWORK LAYER	(07 Hour
Network layer design issues, Routing algorithms and protocols, Congestio algorithms and QoS, Internetworking, Addressing, N/W layer protocols an developments.	
TRANSPORT LAYER	(08 Houi
Transport layer design issues, Transport services, Sockets, Addressing, Co establishment, Connection release, Flow control and buffering, Multiplexi layer protocols, Real Time Transport Protocol (RTP), Stream Control Trans	ing, Transport
(SCTP), Congestion control, QoS and Recent developments, Virtualization, Functions Virtualization(NFV), Software defined networks.	
(SCTP), Congestion control, QoS and Recent developments, Virtualization,	
(SCTP), Congestion control, QoS and Recent developments, Virtualization, Functions Virtualization(NFV), Software defined networks.	Network (08 Hour Ditocol (HTTP), Protocol (DHCP)

3.	Practical
1	Study network configuration commands and computer network setup.
2	Implementation of different Data Link and MAC Layer protocols.
3	Implementation of different Network Layer protocols.
4	Implementation of different Transport and Application Layer protocols.
5	Design and configure a network systems using modern network simulator softwares.
6	Implementation of Secured Socket Layer protocol.
7	Implementation of ICMP based message transmission over network.
8	Implementation of SMTP protocol for mail transfer.

4.	Books Recommended:
1	W. Stalling, Data and Computer Communication, 10 th Edition, Pearson India, 2017.
2	B. Forouzan, Data Communication and Networking, 5 th Edition, McGraw Hill, 2017.
3	D. E. Comer, Internet working with TCP/IP Volume – I, 6 th Edition, Pearson India, 2015.
4	A. S. Tanenbaum, Computer Network, 5 th Edition, Pearson India, 2013.
5	W. R. Stevens, TCP/IP Illustrated Volume - I, 2 nd Edition, Addison Wesley, 2011.